# Out-Of-Core Construction of Sparse Voxel Octrees 

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## Voxel-related research

- Voxel Ray Casting
- Gigavoxels (Crassin, 2009-...)
- Efficient SVO'S (Laine, Karras, 2010)
- Voxel Cone Tracing
- Indirect Illumination (Crassin, 2011)
- Voxel-based Visibility
- Voxelized Shadow Volumes (Wyman, 2013, later today!)


## Why voxels?

- Regular structure
- Hierarchical representation in Sparse Voxel Octrees (SVO's)
- Level of Detail / Filtering
- Generic representation for geometry and appearance
- In a single data structure



## Polygon mesh to SVO

- We want large, highly detailed SVO scenes
- Where do we find content?
- Let's voxelize massive polygon meshes
- Majority of current content pipelines is polygon-based


## What do we want?



Sparse Voxel Octree

- Algorithm requirements:
- Need an out-of-core method
- Because polygon mesh \& intermediary structures could be >> system memory
- Data should be streamed in/out
- from disk / network / other process
- Ideally: out-of-core as fast as in-core


## Pipeline construction (1)



- Voxelization step
- Polygon mesh $\rightarrow$ Voxel grid
- Followed by SVO construction step
- Voxel grid $\rightarrow$ Sparse Voxel Octree


## Pipeline construction (2)



Sparse Voxel Octree

- Key insight:
- If voxel grid is Morton-ordered
- SVO construction can be done out-of-core
- Logarithmic in memory usage ~ octree size
- In a streaming manner
- So voxelization step should deliver ordered voxels


## Pipeline construction (3)



Sparse Voxel Octree

- High-resolution 3D voxel grid may be >> system memory
- So partitioning step (into subgrids) is needed
- Seperate triangle streams for each subgrid



## Final Pipeline



- Now, every step in detail ...


## Morton order / Z-order

- Linearization of n-dimensional grid
- Post-order depth-first traversal of $2^{n}$-tree
- Space-filling curve, Z-shaped


Level 1


Level 2

## Morton order / Z-order

- Hierarchical in nature
- Cell at position (x,y)
$\rightarrow$ Morton code
- Efficiently computed
- $(x, y, z)=(5,9,1)$
$\rightarrow(0101,1001,0001)$
$\rightarrow 010001000111$
$\rightarrow$ 1095 ${ }^{\text {th }}$ cell along Z-curve


## Partitioning subprocess



Sparse Voxel Octree

- Partitioning (1 linear pass)
- Into power-of-2 subgrids until it fits in memory
- Subgrids temporarily stored on disk
- Subgrids correspond to contiguous range in Morton order
- If we voxelize subgrids in Morton order, output will be Morton-ordered


## Voxelization subprocess (1)



Sparse Voxel Octree

- Voxelize each subgrid in Morton order
- Input: Subgrid triangle stream
- Each triangle voxelized independently
- Output: Morton codes of non-empty cells
- Typically, majority of grid is empty


## Voxelization subprocess (2)

- We use a simple voxelization method
- But any method that works one triangle at a time will do



## Out-of-core SVO Construction



Polygon Mesh
Sparse Voxel Octree

- Input: Morton-ordered voxel grid
- Output: SVO nodes + referenced data


## SVO Construction algorithm in 2D

- Required: queues of $2^{\mathrm{d}}$ nodes / octree level
- Ex: $2048^{3}$ grid $\rightarrow 11$ * 8 octree nodes-I



## SVO Construction algorithm in 2D

- Read Morton codes $0 \rightarrow 3$ (+ voxel data)
- Store them in level 2 queue
- Level 2 queue = full



## SVO Construction algorithm in 2D

- Create internal parent node
- With level 1 Morton code 0
- Store parent-child relations
- Write non-empty level 2 nodes to disk+clear level 2



## SVO Construction algorithm in 2D

- Read Morton codes $4 \rightarrow 7$ (+ voxel data)
- Store them in level 2 queue



## SVO Construction algorithm in 2D

- Create internal parent node
- With level 1 Morton code 1
- Store parent-child relations (there are none)
- Write non-empty level 2 nodes to disk+clear level 2



## SVO Construction algorithm in 2D

- Same for Morton codes $8 \rightarrow 11$



## SVO Construction algorithm in 2D

- Same for Morton codes $12 \rightarrow 15$



## SVO Construction algorithm in 2D

- Now level 1 is full
- Create parent node (root node)
- Store parent-child relations
- Write non-empty level 1 nodes to disk+clear level 1



## SVO Construction: optimization

- Lots of processing time for empty nodes
- Sparseness = typical for high-res voxelized meshes
- Insight for optimization
- Pushing back $2^{\text {d }}$ empty nodes in a queue at level $n$
= Pushing back 1 empty node at level n-1



## SVO Construction: optimization

- Implementation details in paper
- Optimization exploits sparseness of voxelized meshes
- Speedup: two orders of magnitude
- Building SVO from grid:
- David: 471 vs 0.55 seconds
- San Miguel: 453 vs 1.69 seconds


## Results: Tests

- Resolution: $2048^{3}$
- Memory limits
- 8 Gb (in-core)
- 1 Gb (out-of-core)
- 128 Mb (out-of-core)
- Models
- David (8.25 m poys)
- San Marco (7.88 m polys)
- XYZRGB Dragon (7.2 m polys)



## Results: Out-Of-Core performance

- Out-Of-Core method = ~ as fast as In-Core
- Even when available memory is 1/64



## Results: Time breakdown

- Partitioning speedup from skipping empty space



## Results: Extremely large models

- $4096^{3}$ - In-core: 64 Gb
- Atlas model
- 17.42 Gb, 507 M tris
- < 11 min at 1 Gb

- St. Matthew model
- 13.1 Gb, 372 M tris
- < 9 min at 1 Gb



## Results: SVO Construction

- SVO output stream
- Good locality of reference
- Nonempty siblings on same level always stored next to each other
- Nodes separated from data itself (separation hot/cold data)
- Using data pointers + offsets as reference


## Appearance

- Pipeline: binary voxelization
- Extend with appearance data?
- Interpolate vertex attributes (color, normals, tex)
- Propagate appearance data upwards

- Global data access $\leftrightarrow$ Out-Of-Core algorithms
- Multi-pass approach


## Conclusion

- Voxelization and SVO construction algorithm
- Out-of-core as fast as in-core
- Support for extremely large meshes
- Future work
- Combine with GPU method to speed up voxelization
- Handle global appearance data


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- Source code / binaries will be available at project page
- Contact
- jeroen.baert @ cs.kuleuven.be
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